| Question Number |  | Mark |
| :---: | :---: | :---: |
| 1 (a) | Use of suitable equation(s) of motion to find distance $\begin{equation*} \text { Height = } 7.4 \text { (m) } \tag{1} \end{equation*}$ <br> (accept 9.8(1)/6 or 1.635 for acceleration but do not accept g/6 as a substitution if final answer is wrong and looking to award MP1 only) (a reverse argument leading to $t=2.9 \mathrm{~s}$ can score both marks) <br> Example of calculation $\begin{aligned} & s=1 / 2 a t^{2} \\ & s=1 / 2 \times\left(9.81 \mathrm{~m} \mathrm{~s}^{-2} / 6\right) \times(3 \mathrm{~s})^{2} \\ & s=7.4 \mathrm{~m} \end{aligned}$ | 2 |
| 1 (b)(i) | Use of trig function appropriate to calculate vertical component of velocity Or $10.1\left(\mathrm{~m} \mathrm{~s}^{-1}\right)$ seen <br> Use of suitable equation(s) of motion to find time $\begin{equation*} t=12.4(\mathrm{~s}) \tag{1} \end{equation*}$ <br> (if $v$ and $u$ not consistent with sign of $g$ max 2 marks. Calculation can be done for total time of 12.3 s with either total displacement $=0$ or $u=-$ $v$ ) <br> Example of calculation $\begin{aligned} & u=18 \mathrm{~m} \mathrm{~s}^{-1} \mathrm{x} \sin 34^{\circ}=10.1 \mathrm{~m} \mathrm{~s}^{-1} \\ & v=u+a t \\ & 0=10.1 \mathrm{~m} \mathrm{~s}^{-1}-\left(9.81 \mathrm{~m} \mathrm{~s}^{-2} / 6\right) \mathrm{x} t \\ & t=6.2 \mathrm{~s} \text { to max height } \\ & \text { time of flight }=12.4 \mathrm{~s} \end{aligned}$ | 3 |
| 1 (b) <br> (ii) | Use of trig function appropriate to calculate horizontal component of velocity Or $14.9\left(\mathrm{~m} \mathrm{~s}^{-1}\right)$ seen <br> Or Use of Pythagoras Use of suitable equation(s) of motion to find distance $\begin{equation*} \text { Distance = } 185 \text { (m) (ecf time value from part (i)) } \tag{1} \end{equation*}$ <br> Example of calculation $\begin{aligned} & v=18 \mathrm{~m} \mathrm{~s}^{-1} \times \cos 34^{\circ}=14.9 \mathrm{~m} \mathrm{~s}^{-1} \\ & s=v t=14.9 \mathrm{~m} \mathrm{~s}^{-1} \times 12.4 \mathrm{~s} \\ & s=185.0 \mathrm{~m} \end{aligned}$ | 3 |


| *1 (c | lower gravitational field strength: <br> lower acceleration the idea of an increased time of flight (do not accept slower in place of lower) <br> lack of atmosphere: <br> no work done against friction <br> Or no slowing/deceleration due to friction (accept air resistance or drag for friction) | (1) <br> (1) <br> (1) | 3 |
| :---: | :---: | :---: | :---: |
|  | Total for question |  | 11 |


| Question <br> Number | Answer |  | Mark |
| :---: | :---: | :---: | :---: |
| 2(a) | $m g=m a$ either leading to $\mathrm{a}=\mathrm{g}$ or a statement that the masses cancel <br> Example of answer $F=m a \text { and } W=m g$ <br> $m g=m a$ $a=g$ | (1) | 1 |
| 2(b)(i) | $\begin{aligned} & s=1 / 2 a t^{2} \\ & \text { Or } a=2 s / t^{2} \\ & \text { Or } s=u t+1 / 2 a t^{2} \text { and } u=0 \\ & \\ & \text { (allow } g \text { for } a \text { and } h \text { for } s \text { ) } \end{aligned}$ | (1) | 1 |
| 2(b)(ii) | Either <br> Parallax( in measuring $s$ ) <br> Or the ruler was not vertical/perpendicular <br> Giving a larger value for $s$ (than the actual value) <br> Or <br> The frame rate was incorrect <br> Or the idea that the initial velocity of the ball was not zero <br> Giving a lower value for the measured time <br> Examples <br> The ball was dropped before the camera started recording or the ball was dropped before the first frame or the ball was dropped from above the ruler. <br> (Do not accept ball was thrown) | (1) <br> (1) <br> (1) <br> (1) | 2 |
|  | Total for Question |  | 4 |


| Question Number | Answer |  | Mark |
| :---: | :---: | :---: | :---: |
| 3(a)(i) | So that it can store/transfer elastic/strain (potential) energy Or to produce a (restoring) force on the arm (accept pull for force i.e. 'pull arm up') | (1) | 1 |
| 3(a)(ii) | Elastic/strain (potential) energy $\rightarrow E_{\text {grav }}+/$ and $E_{\mathrm{k}}$ (+/and thermal energy) | (1) | 1 |
| *3(b)(i | (QWC - work must be clear and organised in a logical manner using technical terminology where appropriate) <br> Either <br> (the greater the angle) the greater the energy (stored) greater kinetic energy (transferred to projectile/arm) greater (initial) (horizontal) velocity of the projectile $s=u t$ linked to a greater range <br> Or <br> the greater the angle the greater the force/stress/tension the greater the acceleration (of the arm/projectile) greater (initial) (horizontal) velocity of the projectile $s=u t$ linked to a greater range <br> (Accept symbols for words) | (1) <br> (1) <br> (1) <br> (1) <br> (1) <br> (1) <br> (1) <br> (1) | 4 |
| 3(b)(ii) | Increases acceleration Or increases (initial) velocity (of the projectile) | (1) | 1 |


| 3(b)(iii) | One modification One reason (Modification and reason must be lin | ked for both marks to be awarded) <br> Would increase the force/tension Or would increase energy (stored) Or would increase the work done <br> Would increase the force/tension Or would increase energy (stored) Or would increase the work done <br> Greater (vertical) distance to fall <br> Projectile launched with an upwards component of velocity or at an angle | $\begin{aligned} & \hline \text { (1) } \\ & \text { (1) } \end{aligned}$ | 2 |
| :---: | :---: | :---: | :---: | :---: |
| 3(c)(i) | $\begin{aligned} & \text { Use of } s=u t+1 / 2 a t^{2} \\ & t=0.13(\mathrm{~s}) \\ & \\ & \text { Example of calculation } \\ & 0.08 \mathrm{~m}=1 / 2 \times 9.81 \mathrm{~m} \mathrm{~s}^{-2} \times t^{2} \\ & t=0.128 \mathrm{~s} \end{aligned}$ |  |  | 2 |
| 3(c)(ii) | Use of $v=s / t$ to calculate horizontal speed Or see $10.6\left(\mathrm{~m} \mathrm{~s}^{-1}\right)$ <br> Use of $s=10.6 \times t$ <br> $s=1.4 \mathrm{~m} \quad$ ecf for time from (i) <br> (using show that value $s=1.06 \mathrm{~m}$ ) <br> Example of calculation $\begin{aligned} & u_{\text {horizontal }}=\frac{1.70 \mathrm{~m}}{0.16 \mathrm{~s}}=10.6 \mathrm{~m} \mathrm{~s}^{-1} \\ & s=10.6 \mathrm{~m} \mathrm{~s}^{-1} \times 0.13 \mathrm{~s} \\ & s=1.38 \mathrm{~m} \end{aligned}$ |  | $\begin{aligned} & \text { (1) } \\ & \text { (1) } \\ & \text { (1) } \end{aligned}$ | 3 |
|  | Total for question |  |  | 14 |

\begin{tabular}{|c|c|c|c|}
\hline Question Number \& Answer \& \& Mark \\
\hline 4(a) \& \begin{tabular}{l}
Reaction/ \(R\) / (normal) contact force/ force of floor/force of lift (on passenger) etc. \\
(not normal/ \(N\) ) \\
Weight/W/mg \\
(Subtract 1 mark for each additional force/arrow if more than 2 forces on diagram. Arrows must begin on the dot)
\end{tabular} \& (1)

(1) \& 2 \\

\hline 4(b)(i) \& | Calculates the difference between scale readings e.g $(73 \mathrm{~g}-60 \mathrm{~g})$ or $(73-60)$ or $128(\mathrm{~N})$ or $13(\mathrm{~kg})$ seen |
| :--- |
| Use of $F=m a$ to find $a$ $\text { Acceleration }=2.1\left(\mathrm{~m} \mathrm{~s}^{-2}\right)$ |
| Example of calculation $\begin{aligned} & \text { Resultant force }=\left(73 \mathrm{~kg} \times 9.81 \mathrm{~N} \mathrm{~kg}^{-1}\right)-\left(60 \mathrm{~kg} \times 9.81 \mathrm{~N} \mathrm{~kg}^{-1}\right)=127.5 \mathrm{~N} \\ & 127.5 \mathrm{~N}=60 \mathrm{~kg} \times a \\ & a=2.13\left(\mathrm{~m} \mathrm{~s}^{-2}\right) \end{aligned}$ | \& | (1) |
| :--- |
| (1) |
| (1) | \& 3 \\


\hline 4(b)(ii) \& | Use of $a=\frac{v-24}{t}$ $a=(-) 1.9 \mathrm{~m} \mathrm{~s}^{-2}$ |
| :--- |
| Example of calculation $a=\frac{0-10 \mathrm{~m}^{-6}}{8.8 \mathrm{~m}}=-1.89 \mathrm{~m} \mathrm{~s}^{-2}$ | \& \[

\overline{(1)}
\]

(1) \& 2 \\

\hline 4(c) \& | Labelled region of laminar flow showing parallel streamlines. |
| :--- |
| Labelled region of turbulent flowing showing adjacent streamlines crossing and/or eddies. | \& | (1) |
| :--- |
| (1) | \& 2 \\

\hline \& Total for Question 15 \& \& 9 \\
\hline
\end{tabular}

| Question Number | Answer |  | Mark |
| :---: | :---: | :---: | :---: |
| 5(a)(i) | Laminar flow - no abrupt change in direction or speed of flow or air flows in layers/flowlines/streamlines or no mixing of layers or layers remain parallel or velocity at a (particular) point remains constant <br> Turbulent flow - mixing of layers or contains eddies/vortices or abrupt/random changes in speed or direction | (1) (1) | 2 |
| 5(a)(ii) | Relative speed of upper surface of ball to air is greater (than at lower surface) Or <br> The idea that the direction of movement at the top (due to spin) is opposite to/against (direction of) air flow (converse arguments acceptable) | (1) | 1 |
| 5(b) | Force (by ball) on air upwards <br> (Equal and) opposite force (on ball) by air $\mathbf{O r}$ (Equal and) opposite force acts due to Newton's $3^{\text {rd }}$ law $\mathbf{O r}$ force of air on ball downwards |  | 2 |
| 5(c)(i) | Use of $v=s / t$ <br> Use of $s=1 / 2 a t^{2}$ to find $s$ or use of correct equations that could lead to the final answer. <br> Distance $=0.037(\mathrm{~m})$ <br> Example of calculation $\begin{aligned} & \text { Time }=2.7 / 31=0.087 \mathrm{~s} \\ & s=1 / 2 \times 9.81 \mathrm{~m} \mathrm{~s}^{-2} \times(0.087 \mathrm{~s})^{2} \\ & =0.037(\mathrm{~m}) \end{aligned}$ | (1) <br> (1) <br> (1) | 3 |
| 5(c)(ii) | (Extra) downwards force (on the ball) <br> Greater downwards acceleration <br> Greater distance fallen Or drops further( in that time) Or needs to drop 15 cm , 4 cm drop not enough | (1) <br> (1) <br> (1) | 3 |
|  | Total for question |  | 11 |


| Question <br> Number | Answer | Mark |
| :---: | :---: | :---: |
| 6(a) | Calculate maximum energy <br> Use of gpe $=m g h(1)$ <br> Correct answer ( 0.28 J ) (1) <br> Example of calculation <br> gpe $=m g h$ <br> $=0.41 \mathrm{~kg} \times 9.81 \mathrm{~N} \mathrm{~kg}^{-1} \times 0.07 \mathrm{~m}$ <br> $=0.28 \mathrm{~J}$ <br> [N.B. Bald answer gets 2, but no marks if derived from use of $v^{2}=u^{2}+2 a s$ ] | (2) |
| 6(b) | Resolve this velocity into horizontal and vertical components. <br> Shows a correct, relevant trigonometrical relationship (1) Correct answer for horizontal component ( $12 \mathrm{~m} \mathrm{~s}^{-1}$ ) (1) Correct answer for vertical component ( $10 \mathrm{~m} \mathrm{~s}^{-1}$ ) (1) (max 1 mark total for reversed answers) <br> (apply ue once only) <br> Example of calculation $\begin{aligned} & v_{h}=v \cos \theta \\ & =16 \mathrm{~m} \mathrm{~s}^{-1} \mathrm{x} \cos 40^{\circ} \\ & =12.3 \mathrm{~m} \mathrm{~s}^{-1} \\ & v_{v}=v \sin \theta \\ & =16 \mathrm{~m} \mathrm{~s}^{-1} \mathrm{x} \sin 40^{\circ} \\ & =10.3 \mathrm{~m} \mathrm{~s}^{-1} \end{aligned}$ | (3) |
| 6(c) | Explain another reason why the projectile does not go as far as expected. <br> (QWC - Work must be clear and organised in a logical manner using technical wording where appropriate) <br> Max 2 out of three marking points for: <br> A physical cause - e.g. other parts of the machine are moving/the sling stretches/headwind/fired up a slope/the projectile increases in height before release (1) <br> Description of energy elsewhere than the projectile - e.g. elastic energy in sling/moving parts have ke / projectile has gained gpe before launch [Must refer to energy] (1) <br> Stating that less energy has been transferred to the projectile/projectile has a lower speed (1) | (max 2) |
|  | Total for question | 7 |


| Question Number | Answer | Mark |
| :---: | :---: | :---: |
| 7(a) | Show that the resultant force on the rocket is about $4 \times 10^{6} \mathrm{~N}$ <br> Use of $\mathrm{W}=\mathrm{mg}$ (1) <br> State or use resultant force $=$ upward force - weight (1) <br> Correct answer to at least $2 \mathrm{~s} . \mathrm{f}$. [ $4.2 \times 10^{6} \mathrm{~N}$ ] (1) [no ue] <br> Example of calculation $\begin{aligned} & \mathrm{W}=\mathrm{mg} \\ & \mathrm{~W}=3.04 \times 10^{6} \mathrm{~kg} \times 9.81 \mathrm{~kg} \mathrm{~m} \mathrm{~s}^{-2} \\ & =2.98 \times 10^{7} \mathrm{~N} \\ & \text { Resultant force }=3.4 \times 10^{7} \mathrm{~N}-2.98 \times 10^{7} \mathrm{~N}=4.2 \times 10^{6} \mathrm{~N} \\ & \hline \end{aligned}$ | 3 |
| 7(b) | Calculate the initial acceleration. <br> Use of $F=m a(1)$ <br> Correct answer [1.38 $\mathrm{m} \mathrm{s}^{-2}$ ] (1) [ecf] <br> Example of calculation $\begin{aligned} & \mathrm{a}=\mathrm{F} / \mathrm{m} \\ & =4.2 \times 10^{6} \mathrm{~N} / 3.04 \times 10^{6} \mathrm{~kg} \\ & =1.38 \mathrm{~m} \mathrm{~s}^{-2} \end{aligned}$ | 2 |
| 7(c) | Calculate the average acceleration. <br> Use of $v=u+$ at (1) <br> Correct answer [15.9 $\mathrm{m} \mathrm{s}^{-2}$ ] (1) [beware same unit error as part b not penalised] <br> Example of calculation $\begin{aligned} & \mathrm{a}=(\mathrm{v}-\mathrm{u}) / \mathrm{t} \\ & =\left(2390 \mathrm{~m} \mathrm{~s}^{-1}-0\right) / 150 \mathrm{~s} \\ & =15.9 \mathrm{~m} \mathrm{~s}^{-2} \end{aligned}$ | 2 |
| 7(d) | Suggest a reason for the difference in the values of acceleration calculated. <br> e.g. Mass decreasing / weight decreasing / net upward force increasing / fuel used up / gets lighter / g decreasing / air resistance decreasing with altitude (1) | 1 |
|  | Total for question | 8 |

